

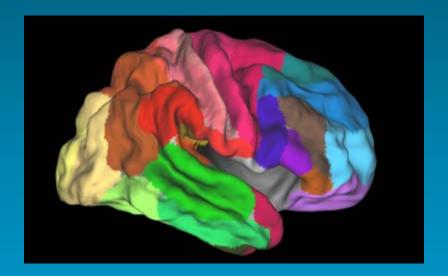
SISSA

SPACEBRAIN

where in our inner space, among its multiple areas, do we construct our internal representations of outer space?

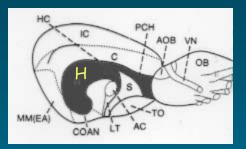


limbo



TABIS 2013, Beograd
September 20, 2013
Alessandro Treves

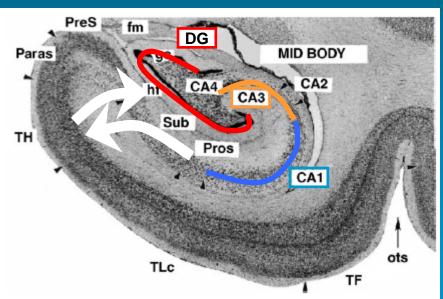
THE HIPPOCAMPUS



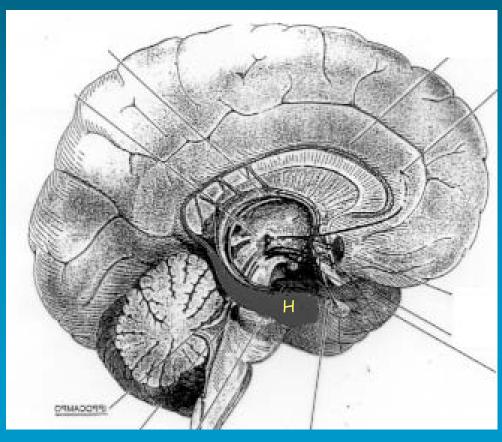
a structure which remains stable and self-similar across mammalian species

opossum

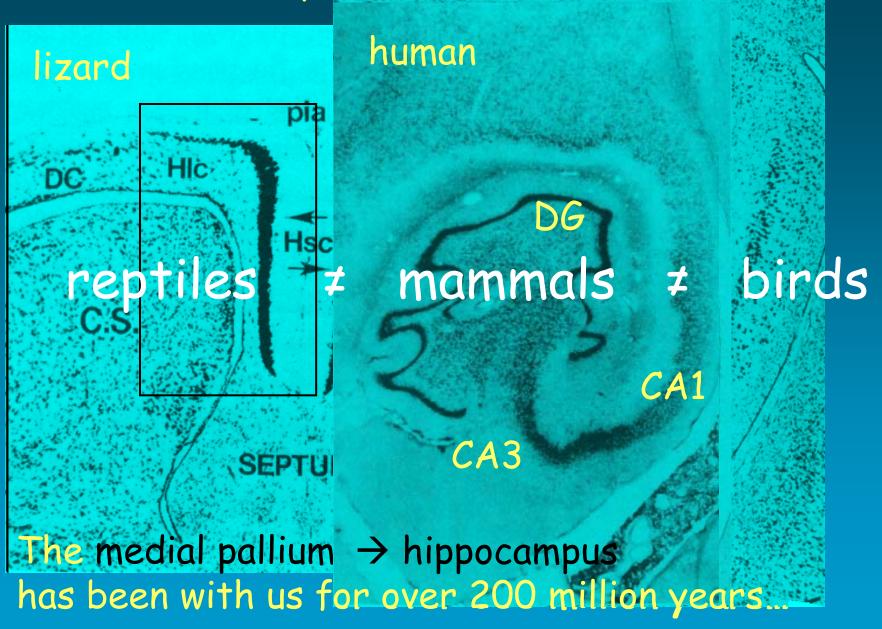
human



monkey



but... has it always been like that?

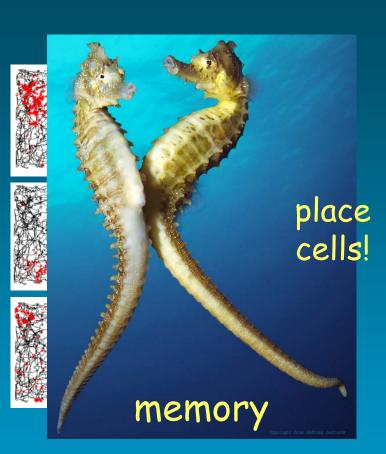


Is the hippocampus what we use to navigate?





John O'Keefe 1971 Univ Coll London SPACEBRAIN

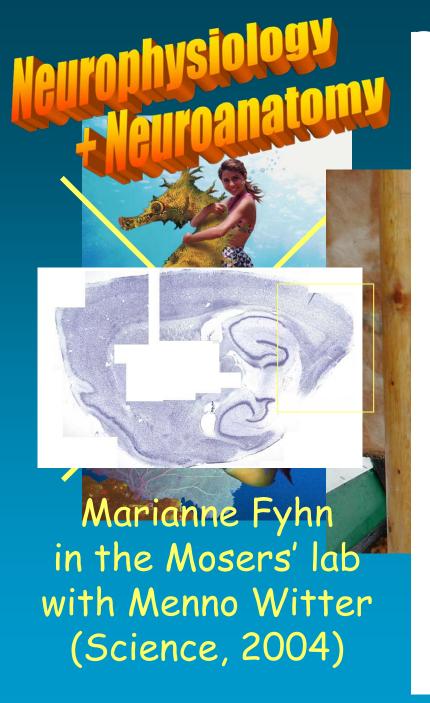


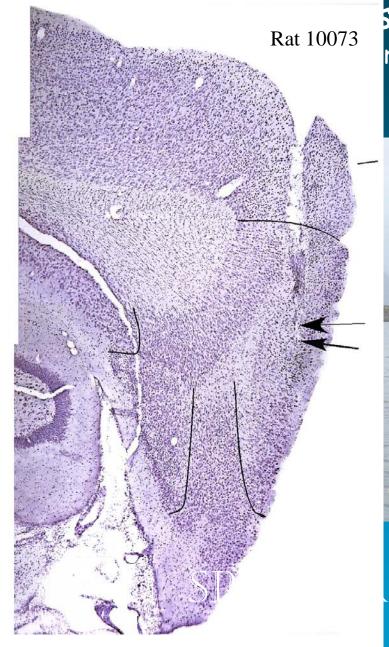
...or is it used to recollect from the past salient episodes of our lives?

Laura and a rat



Place cells



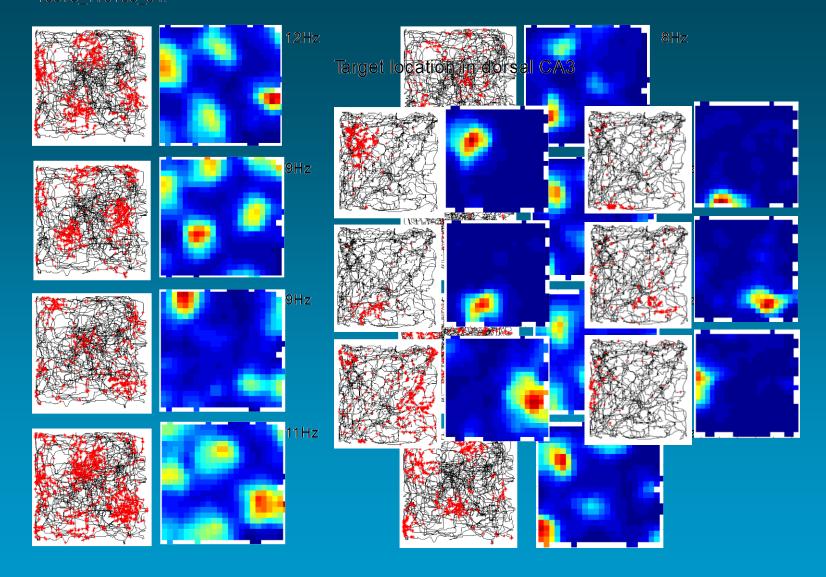


ser ry



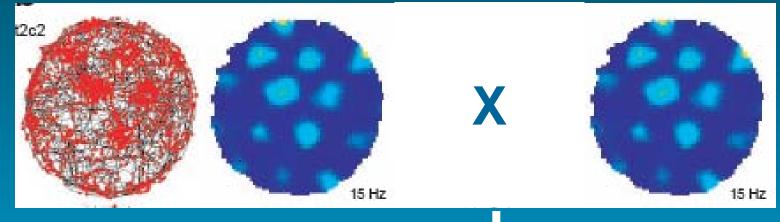
AIN

Multiple place fields in entorhinal cortex become single fields in CA3

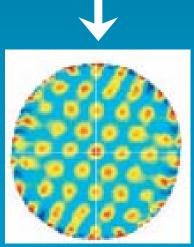


Cells in dorsal medial entorhinal cortex have multiple dispersed fields

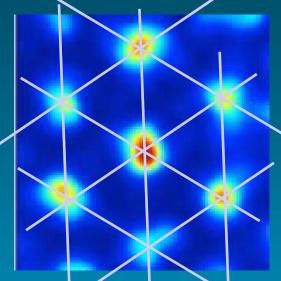
Torkell Hafting (with Marianne Fyhn et al in the Mosers' lab Nature, 2005) recorded units in a larger environment and looked at the map autocorrelation



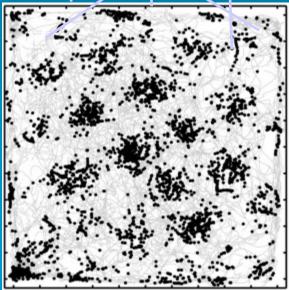
Grid cells!

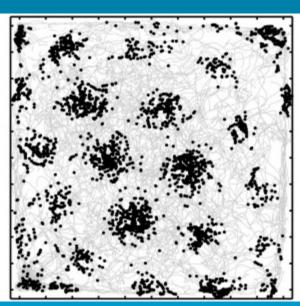


Just look at one grid cell...

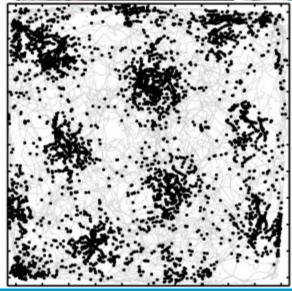


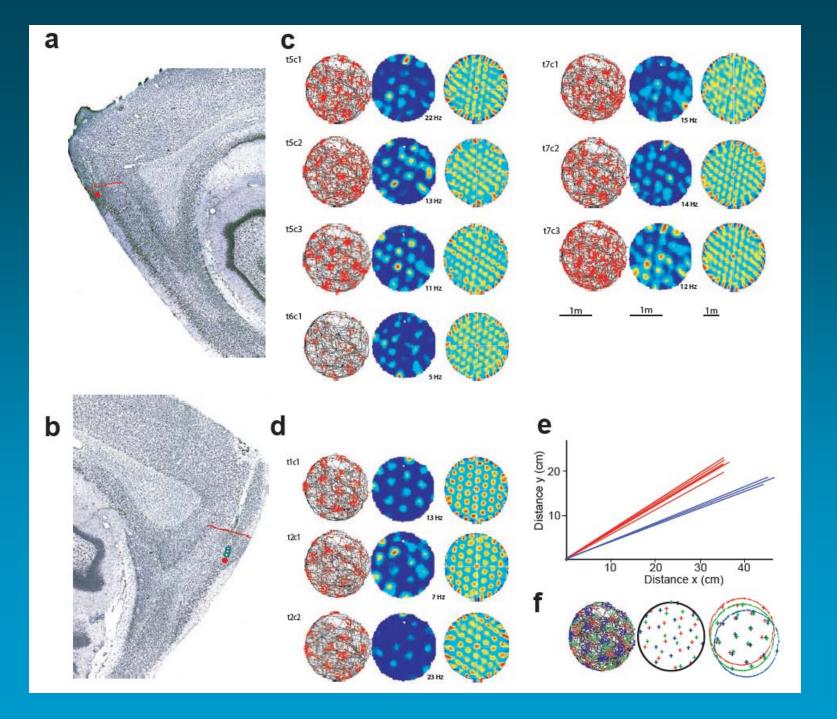
Is it just more beautiful than a place cell, more metrical, more...

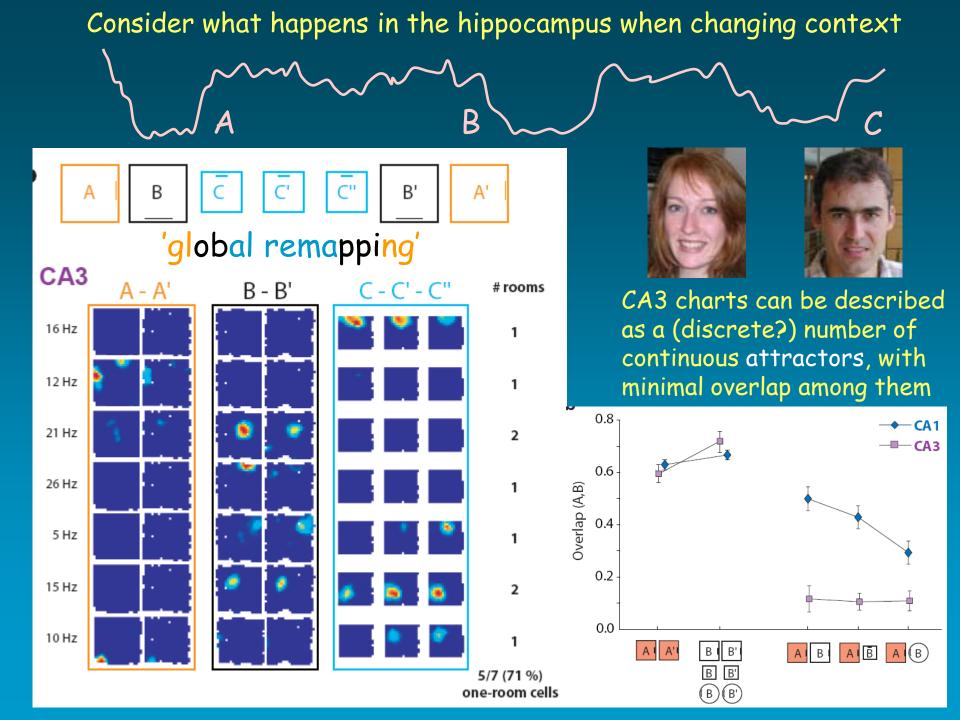












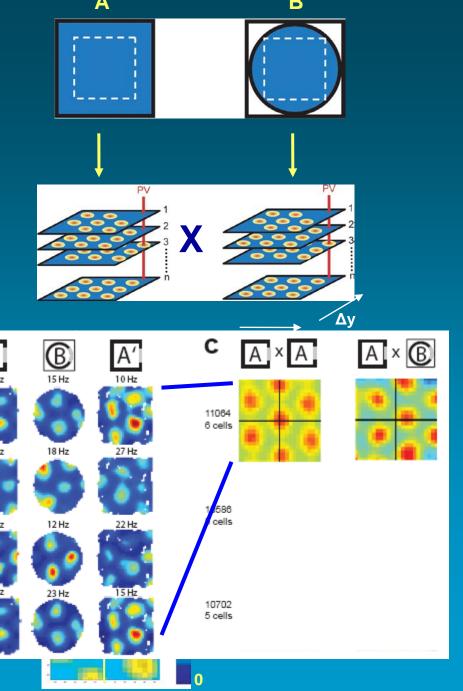


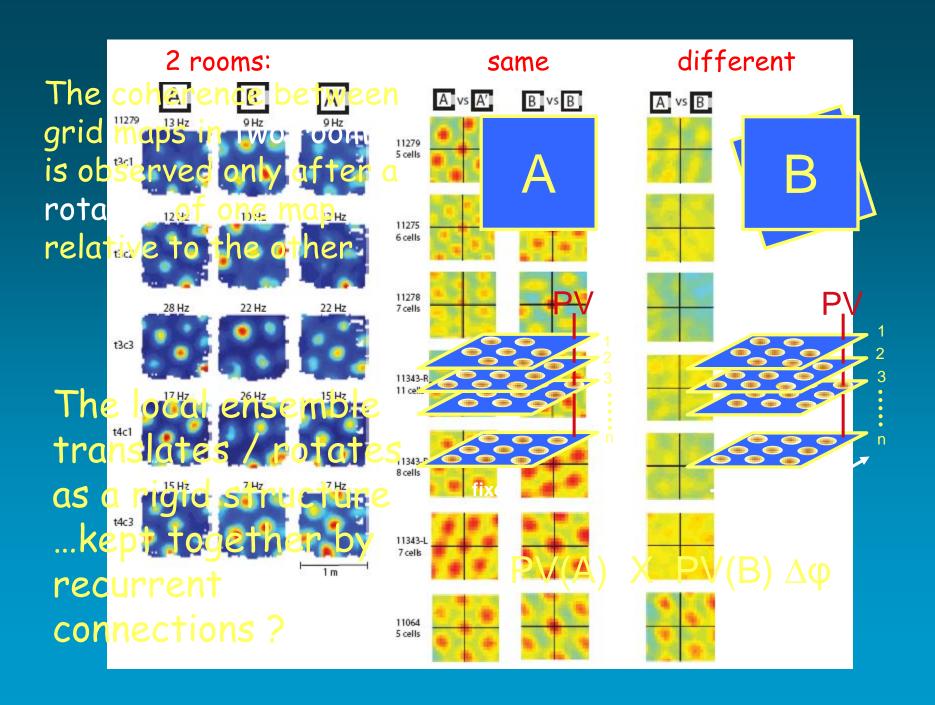
Matrices of population vectors were cross-correlated between two boxes

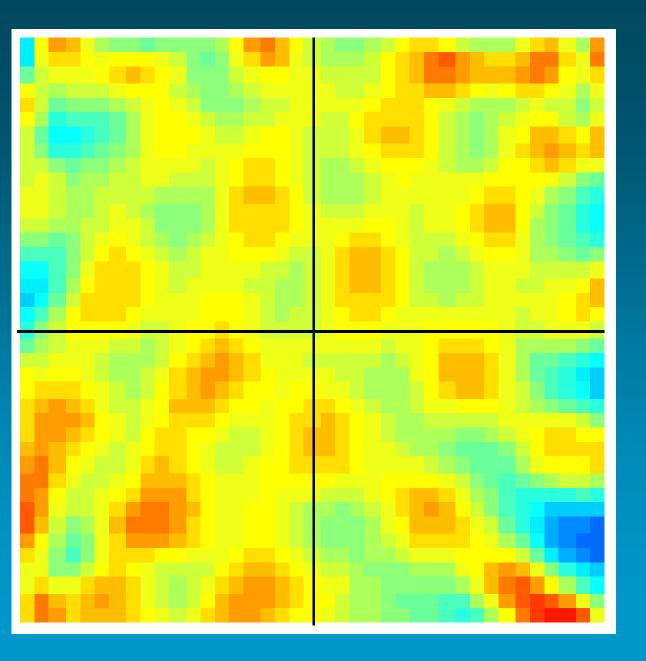
a

11064

coherent displacement of the entorhinal map during global remapping in the hippocampus!







Thus, the intrinsic structure of the map (spacing, orientation, spatial phase) is retained,

i.e. a single map may be applied rigidly in all environments

..millimeter paper

Many models have been proposed...





Grid cell model

O'Keefe and Burgess (2005)

Fuhs and Touretzky (2006)

McNaughton et al. (2006)

Burgess et al. (2007)

Giocomo et al. (2007)

Guanella et al. (2007)

Gaussier et al. (2007)

Blair et al. (2008)

Burgess (2008)

Hasselmo (2008)

Hasselmo and Brandon (2009)

Burak and Fiete (2009)

Mhatre et al. (2012)

[Torus attractor, single bumpl Aperiodic attractor,

Torus attractor, single bump

Position representation

multi-bump [Torus attractor, single

bump]

[Theta grids] Sinusoid phase difference

Firing rates as coordinates

Twisted-torus attractor, single bump [Biased ring attractor phase differencel

Sinusoid phase difference

Sinusoid phase difference Sinusoid phase difference

Most models require an engineer inside the brain to set them up Torus and aperiodic

[Unbiased ring attractor]

attractors, multi-bump [Direction-conjunctive

Zilli and Hasselmo (2010)

Navratilova et al. (2012)

Welday et al. (2011)

Emilio Kropff

tractor

actor p



frequency ion n-conjunctive cells

n-conjunctive

Updating mechanism

[Direction-modulated]

recurrent connections]

[Direction-conjunctive

Frequency modulation

Firing rate modulation

Frequency modulation

[Direction-conjunctive

Frequency modulation

Frequency modulation

Frequency modulation

Direction-conjunctive cells

Dynamic recurrent

connections

cells1

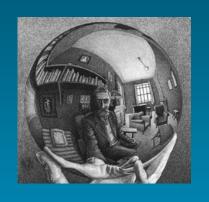
cells1

Direction-conjunctive cells

Direction-conjunctive cells

Bailu Si

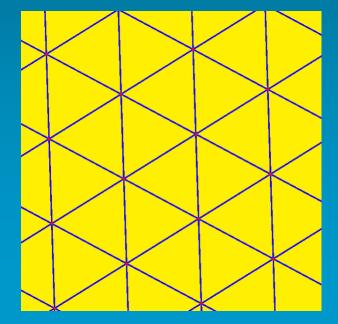
How to decide which model is right?



In a plain box, with nothing inside all models work fine



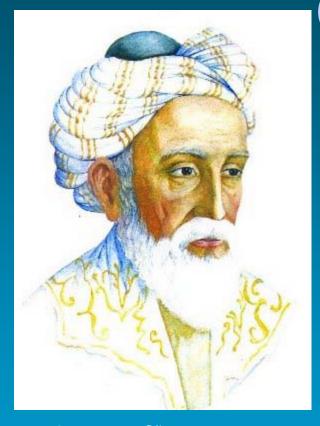




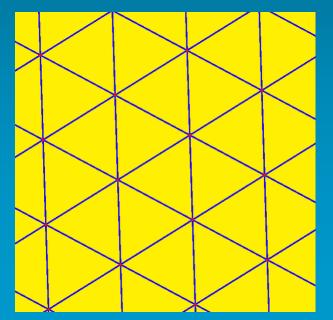


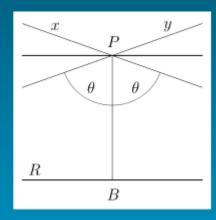


Is it true that through a given point there can only be one parallel line?



Omar Khayyam
ca. 1080



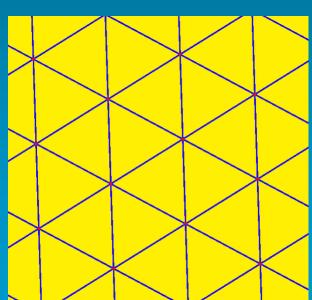


mmmhh...
...thinking about it...
...no!
There can be more

ca. 1830



Lobachevsky



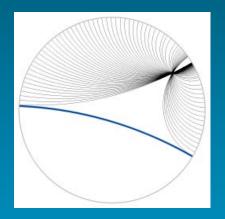
Bolyai

In fact!
It all depends what
you mean with
a line
Think of projecting it..





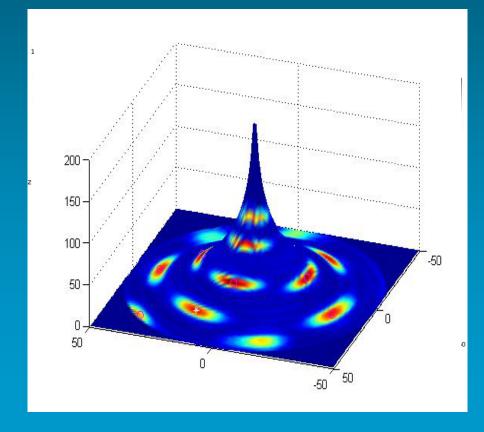






Hyperbolic "pseudosphere"





..a simpler experimental test of the adaptation model is to raise rodents

Spherical harmonics

$$\Psi_{l^{\star}}(r) = \sum_{l=0, l^{\star}} \sum_{m=0, m^{\star}} a_{lm} Y_{l}^{m}(r)$$



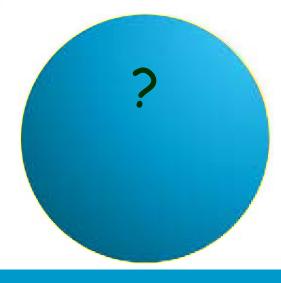
Federal Representation on the second states
$$R = 40cm$$

Also for mixed states

either in or on a ball

 $\Psi_{6}(\theta,\varphi) = d[cY_{0}^{0} + [aY_{6}^{0} + \frac{b}{2}(Y_{6}^{-5} - Y_{6}^{5})]]$ $= d[c\frac{1}{2}\sqrt{\frac{1}{\pi}} + \frac{1}{137\pi}\frac{1}{32} * (231\cos^{6}(\theta) - 315\cos^{4}(\theta) + 105\cos^{2}(\theta) - 5) + \frac{143}{137\pi}\frac{21}{6} * \cos(5\varphi)\sin^{5}(\theta)\cos(\theta)]]$ (9)

what do we expect to see on the ball?



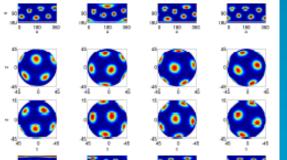
Simulations confirm the analysis

(d)

(e)

R = 45cm

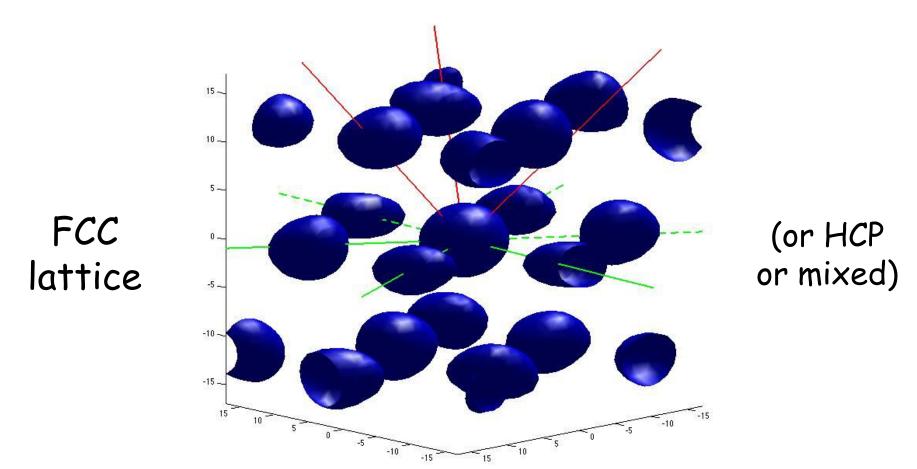
R = 30cm



What to expect in 3D?

(soon to be discovered by Nachum Ulanovsky)





Rather than Euclides or Kant, the space of one's experience

